

# Estimation of the effective reproduction number of a measles outbreak in Guinea, 2017

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## Objective

Assess the association between **outbreak response vaccination (ORV)** campaigns and the **effective reproduction number ( $R_t$ )** of measles during a nationwide outbreak in Guinea.

## Background

The **measles virus** is spread through droplets (e.g., via coughing) but can also become airborne.

Measles is a **vaccine-preventable** disease.  
2016 vaccination coverage in Guinea: **48%** (target: 95%)

A nationwide outbreak began early January 2017 following **disruptions to vaccination** during the 2014–2016 Ebola epidemic (1)

**Outbreak response vaccination (ORV)** campaigns were implemented to reduce transmission, morbidity, and mortality (2):

Guinea measles ORV campaigns in 2017

Campaign	Campaign dates	# of health districts	Target age (months)	Number vaccinated
1	Mar 13–19	1	6–119	148,344
2	Apr 9–17	5	6–119	662,733
3	Apr 25–May 1	22	6–59	1,315,918

ORV campaign success is quantifiable using the **effective reproduction number  $R_t$** , which estimates the average number of secondary cases produced by an infectious individual within a partially immune population.

## Methods

We **estimated  $R_t$**  for all measles cases with illness onset in calendar year 2017 using a pulse time-dependent step function...

$$R_t = \begin{cases} R_1, & \text{for } t < t_0 \\ R_2, & \text{for } t_0 \leq t < t_1 \\ R_3, & \text{for } t_1 \leq t < t_2 \\ R_4, & \text{otherwise} \end{cases}$$

...and generalized renewal equation...

$$E(i_t) = R_t \sum_{i=1}^{t-1} i_{t-i} g_s$$

$E(i_t)$  = estimated incidence at time  $t$   
 $R_t$  = reproduction number at time  $t$   
 $i_{t-s}$  = incident cases at time  $t$   
 $g_s$  = probability mass function of the measles virus generation time using a gamma distribution

...and minimized the negative log likelihood.

- 95% confidence intervals were computed using profile likelihood.
- Akaike information criterion (AIC) values and visual model fit were used to select the final model.

## References

- (1) Takahashi S, et al. The growing risk from measles and other childhood infections in the wake of Ebola. *Science*. 2016;347(6227):1240–2.
- (2) Minetti A, et al. Measles outbreak response immunization is context-specific: Insight from the recent experience of Médecins Sans Frontières. *PLoS Medicine*. 2013;10(11):1–4.

## Results

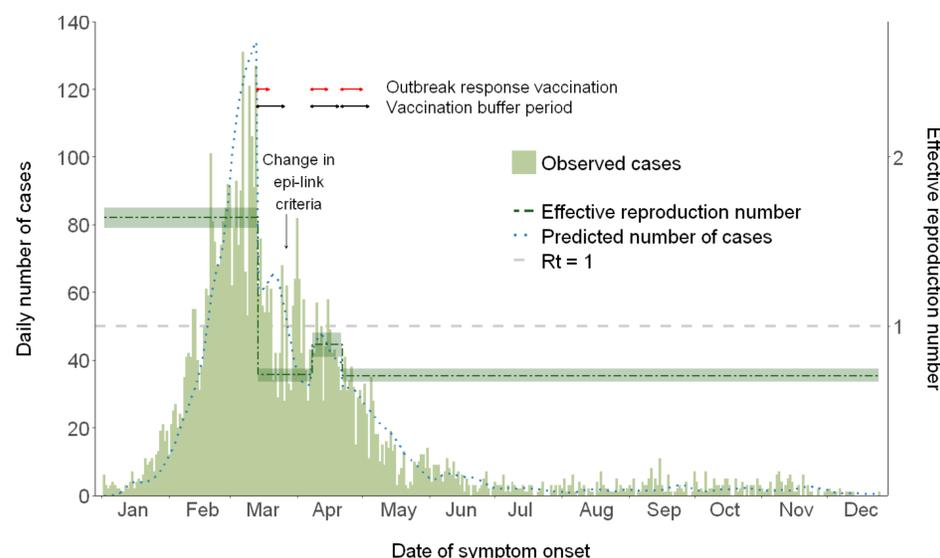
5,932 measles cases

- Median age: 2 years (96% < 15 years)
- Case-fatality rate: 0.5%
- Unvaccinated: 74.7%

Effective reproduction number based on ORV campaign timing

Timing of analysis	Measles effective reproduction number (95% CI)	
	Four parameters	Two parameters
Before ORV	1.64 (1.58–1.70)	1.64 (1.58–1.71)
ORV campaign 1	0.71 (0.67–0.75)	0.75 (0.73–0.78)
ORV campaign 2	0.89 (0.82–0.96)	↓
ORV campaign 3	0.71 (0.67–0.75)	↓
AIC	2579	2654

Measles outbreak cases and effective reproduction number, 2017



## Discussion

- The model captured the peaks of the outbreak well, but does not account for spatial heterogeneity of cases.
- Model fit was better when cutpoints were set to the beginning of each ORV campaign (AIC=2579) rather than the end of the buffer period (2 weeks after the beginning of a campaign, AIC=3204).

## Conclusions

- ORV implementation coincided with the decrease in  $R_t$  to < 1.
- Calculation of  $R_t$  from case count data using basic modeling methods can help decision makers and those in field understand progress of an outbreak and make decisions about initiating further control measures.

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